Neural networks

Deep learning - difficulty of training

NEURAL NETWORK

Topics: multilayer neural network

- Could have L hidden layers:
 - layer input activation for k>0 $(\mathbf{h}^{(0)}(\mathbf{x})=\mathbf{x})$

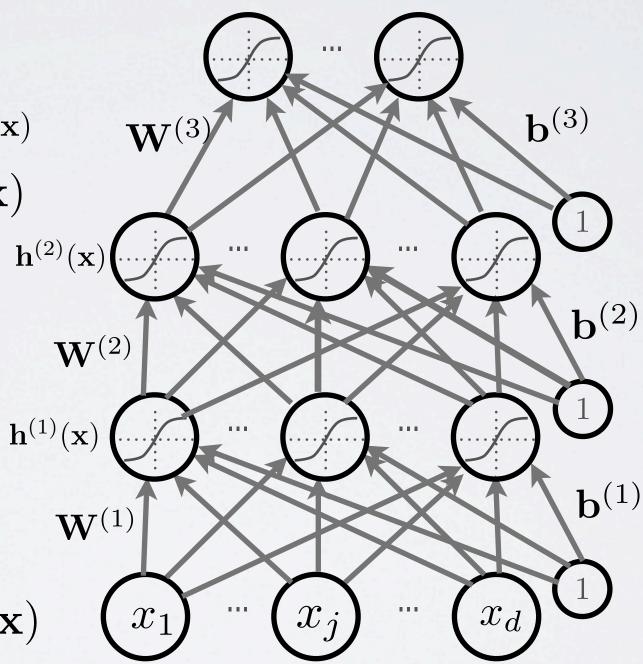
$$\mathbf{a}^{(k)}(\mathbf{x}) = \mathbf{b}^{(k)} + \mathbf{W}^{(k)}\mathbf{h}^{(k-1)}(\mathbf{x})$$

 \blacktriangleright hidden layer activation (k from 1 to L):

$$\mathbf{h}^{(k)}(\mathbf{x}) = \mathbf{g}(\mathbf{a}^{(k)}(\mathbf{x}))$$

• output layer activation (k=L+1):

$$\mathbf{h}^{(L+1)}(\mathbf{x}) = \mathbf{o}(\mathbf{a}^{(L+1)}(\mathbf{x})) = \mathbf{f}(\mathbf{x})$$

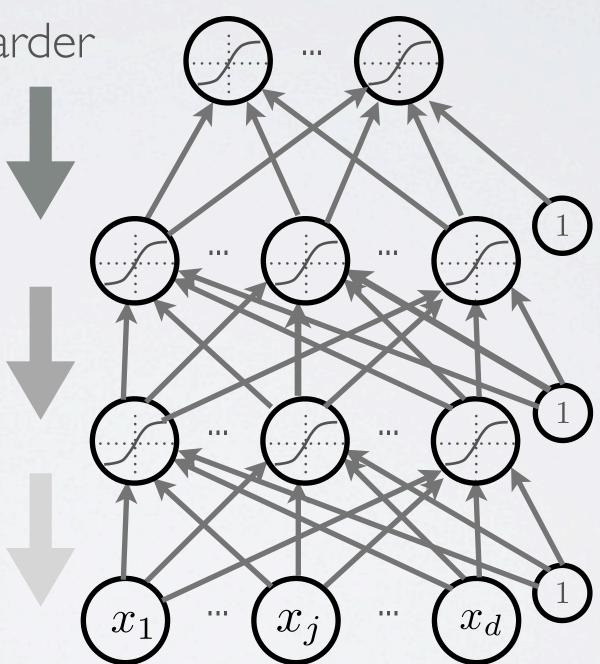


Topics: why training is hard

 First hypothesis: optimization is harder (underfitting)

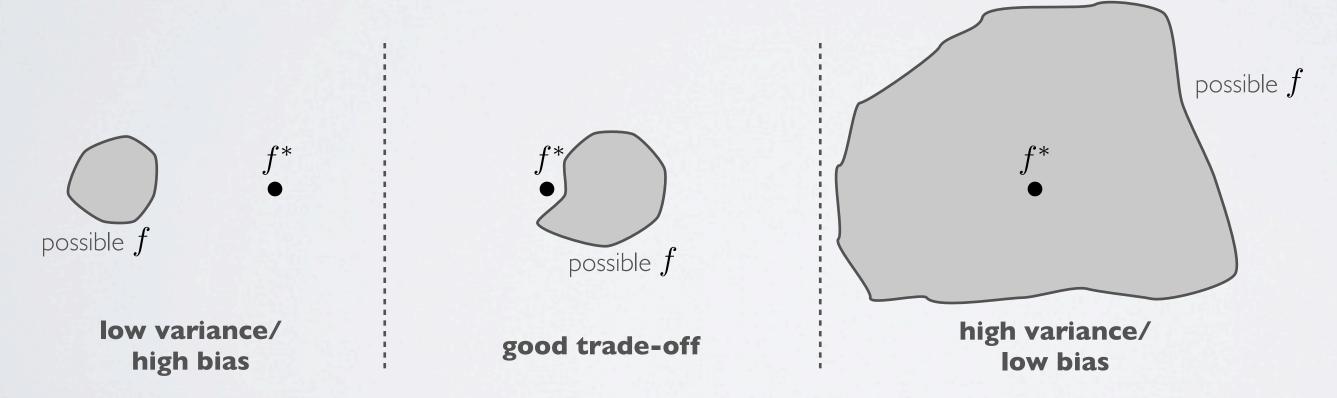
- vanishing gradient problem
- saturated units block gradient propagation

 This is a well known problem in recurrent neural networks



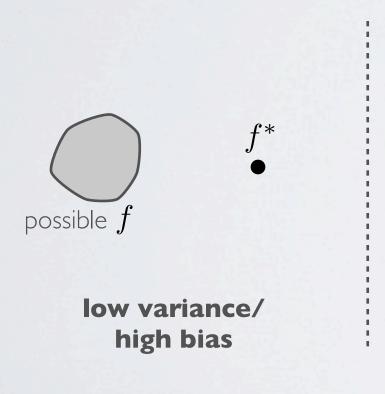
Topics: why training is hard

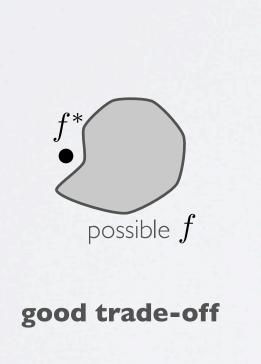
- Second hypothesis: overfitting
 - we are exploring a space of complex functions
 - deep nets usually have lots of parameters
- · Might be in a high variance / low bias situation

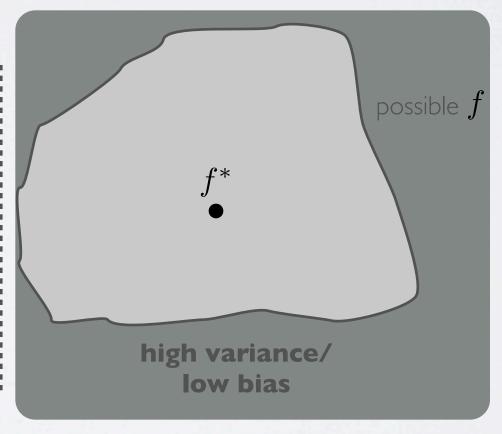


Topics: why training is hard

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Topics: why training is hard

 Depending on the problem, one or the other situation will tend to dominate

- If first hypothesis (underfitting): use better optimization
 - this is an active area of research

- If second hypothesis (overfitting): use better regularization
 - unsupervised learning
 - stochastic «dropout» training